

The Effect of Gain/Loss- Coupling on Mode Beatings in Weakly Coupled Two-Section DFB Lasers

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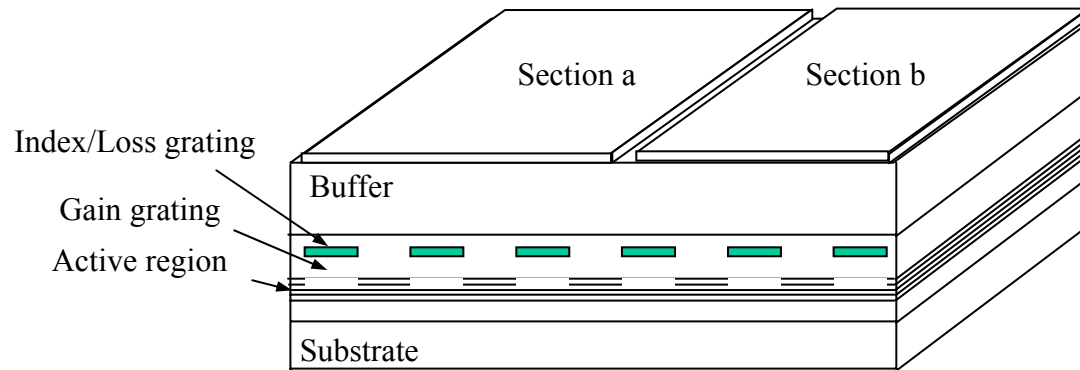
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Introduction

- DFB Self-pulsating devices reported in the literature –
Two Section: Index- Coupled, Partially gain-coupled.
Three Section: Three DFB sections, Two DFB sections and a center phase section.
- Application include –
- All-optical clock recovery, Wireless Fiber Links, Terahertz generation.
- Motivation –
Having Predicted Symmetrical and Asymmetrical mode-beating in partially gain-coupled DFB lasers
 - In the symmetrical mode beating case, does the modal dynamics differ from that of Index-coupled DFB lasers?
 - What about Loss-coupled DFB lasers?

Complex-Coupled Two-Section DFB Lasers



- Index-coupling
- Loss-coupling
- Gain-coupling

$$n(z) = n_{eff,0} + \Delta n_{eff} A_n \cos(2\pi z/\lambda + \phi_g)$$

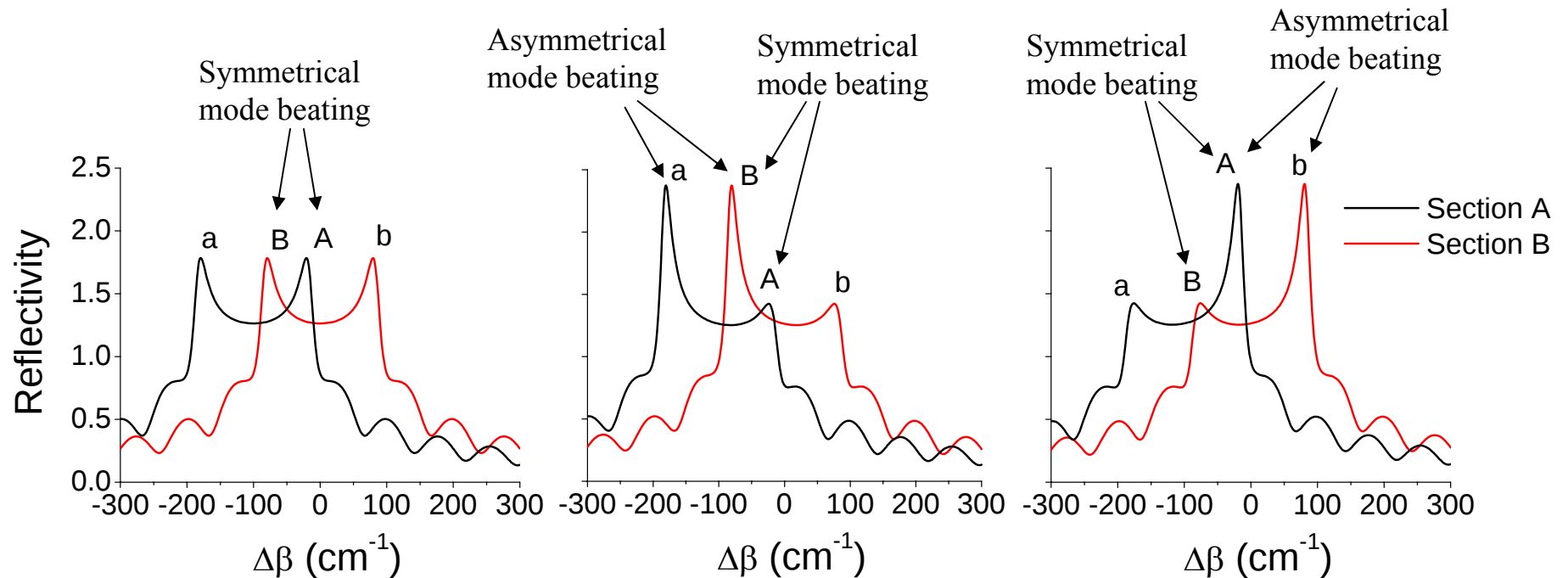
$$\alpha(z) = \alpha_0 + \Delta \alpha_0 A_L \cos(2\pi z/\lambda + \phi_g)$$

$$g(z) = g_0 + \Delta g_0 A_g \cos(2\pi z/\lambda + \phi_g)$$

$$\kappa = \frac{\pi}{\lambda} A_n \Delta n_{eff} + \frac{j}{4} (A_g \Delta g_0 - A_L \Delta \alpha_0)$$

Björn et al. "Instabilities and Nonlinear L-I Characteristics in Complex-Coupled DFB Lasers with Anti-Phase Gain and Index Grating", J. Quant. Elect. Vol. 32 no. 5 May 1996

Reflectivity Spectra



Index-coupled

Loss-coupled

Gain-coupled

Nonlinear Coupled Differential Equations of TS-DFB Lasers

Forward wave $\frac{\partial F(z,t)}{\partial z} + \frac{1}{v_g} \frac{\partial F(z,t)}{\partial t} = \frac{1}{2} G(z,t) F(z,t) + i\kappa B(z,t) + s_f(z,t),$

Backward wave $\frac{\partial B(z,t)}{\partial z} - \frac{1}{v_g} \frac{\partial B(z,t)}{\partial t} = -\frac{1}{2} G(z,t) B(z,t) - i\kappa F(z,t) + s_b(z,t),$

Carrier density $\frac{\partial N(z,t)}{\partial t} = \frac{I_{A,B}}{qV} - \frac{N(z,t)}{\tau} - \left[\frac{g_n(N(z,t) - N_0)}{1 + \varepsilon P(z,t)} - 2f_s(z,t) \right] v_g P(z,t),$

$$f_s(z,t) = \kappa_g \left(e^{j\varphi_g} F(z,t) B^*(z,t) + c.c \right) / P(z,t),$$

Only gain-coupled



The inclusion of Wavelength Tuning

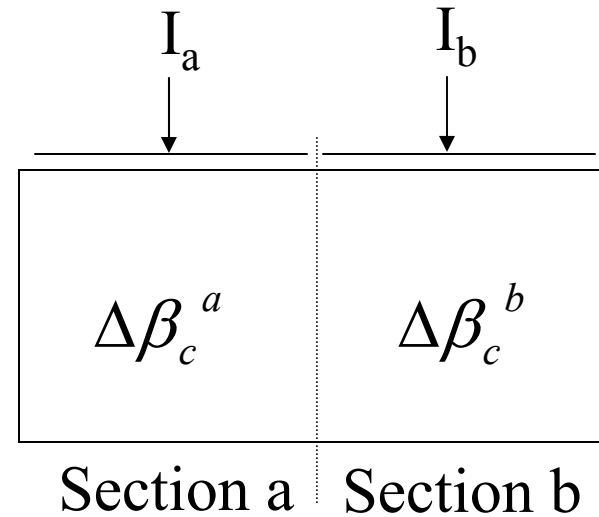
$$G(z,t) = \Gamma_x g_n (N(z,t) - N_0) \left[\frac{1}{1 + \varepsilon P(z,t)} - i\alpha \right] - \Gamma + i\Delta\beta(z),$$

$$\delta = \delta_s + \delta_I + \delta_c,$$

$$\delta_s = \beta_B(A) - \beta_A(B) = \frac{\pi}{\Lambda_A} - \frac{\pi}{\Lambda_B},$$

$$\delta_I = \frac{\delta\beta_B}{\delta I} \Delta I,$$

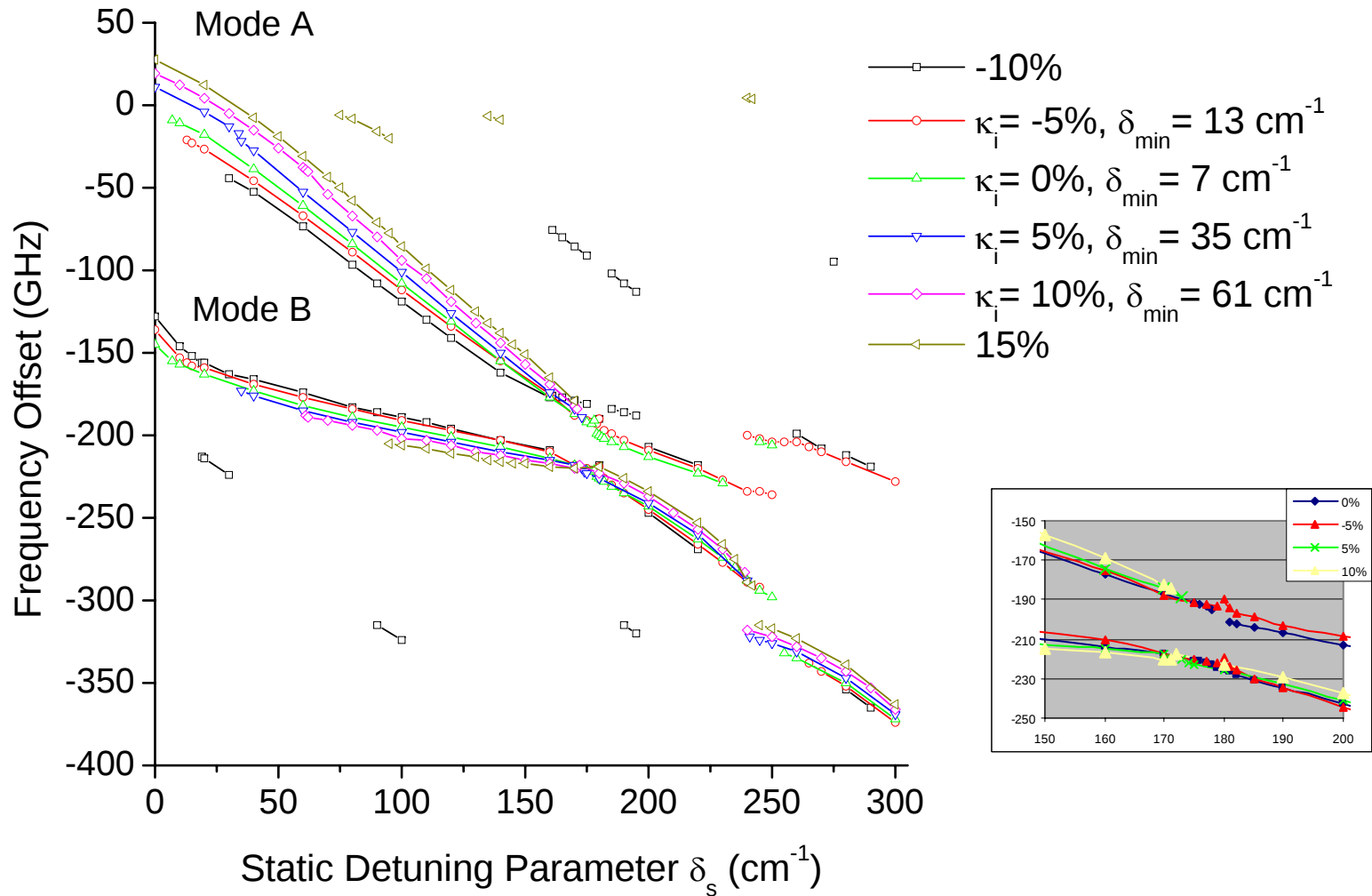
$$\delta_c = \frac{2\pi}{\lambda} (\bar{n}_{eff}(A) - \bar{n}_{eff}(B)) = \alpha \Gamma g_n (\bar{N}_A - \bar{N}_B),$$



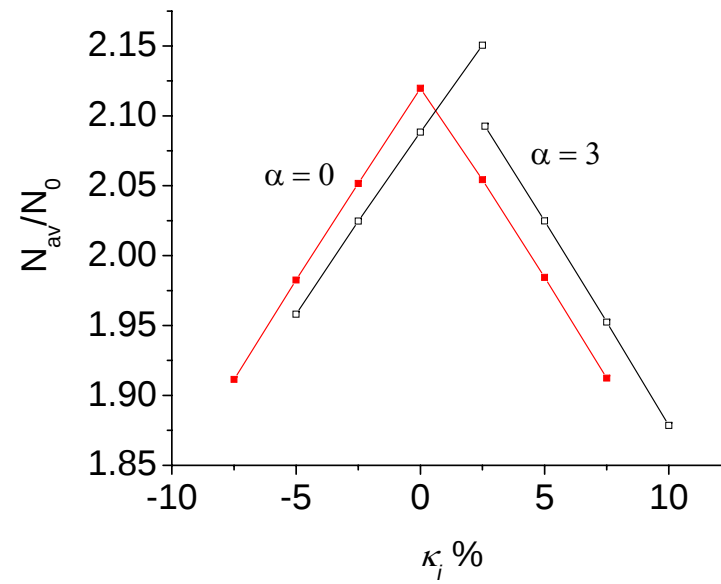
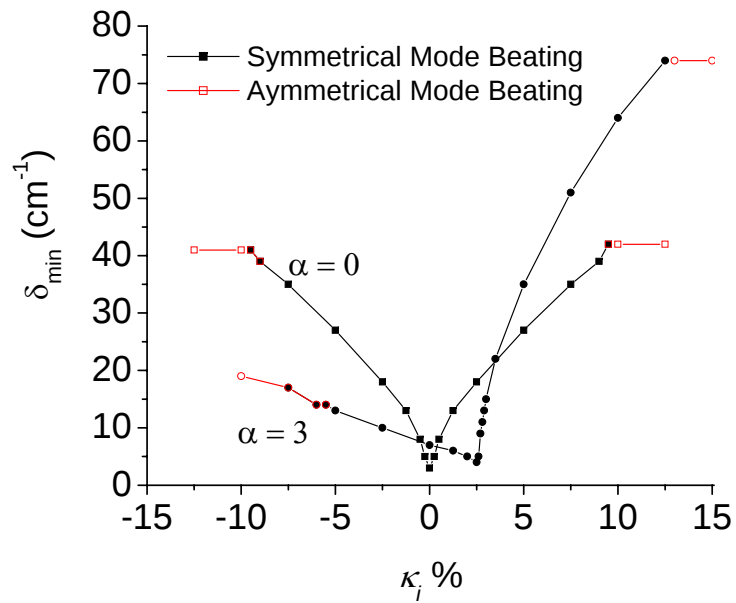
Device Parameter

Symbol	Description	Quantity
L	Section Length	400 μm
κ_r	Coupling Constant	50 cm^{-1}
N_0	Carrier density at transparency	$1.5 \times 10^{18} \text{ cm}^{-3}$
g_n	Differential gain	$3 \times 10^{-16} \text{ cm}^2$
Γ_x	Confinement factor	0.068
λ_B	Free space wavelength	$1.55 \times 10^{-4} \text{ cm}$
Γ	Cavity loss	20 cm^{-1}
α	linewidth enhancement factor	3
τ	Carrier lifetime	1.25 ns
ε	Nonlinear gain coefficient	$1 \times 10^{-17} \text{ cm}^3$
n_{sp}	Spontaneous emission factor	2
n_{eff}	Effective refractive index	3.7
n_g	Group refractive index	3.55
$\delta\beta/\delta(I/I_r)$	Temperature induced shift in Bragg condition	-30 cm^{-1}

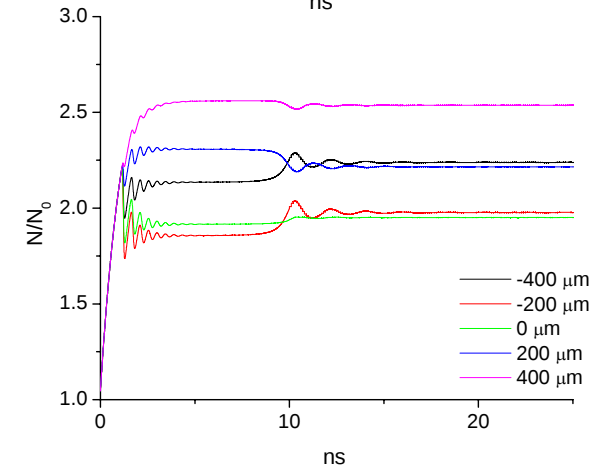
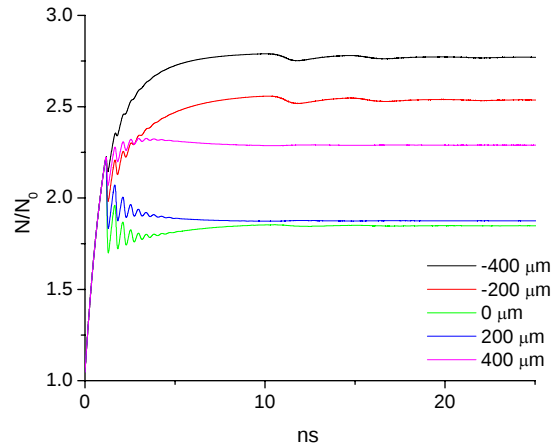
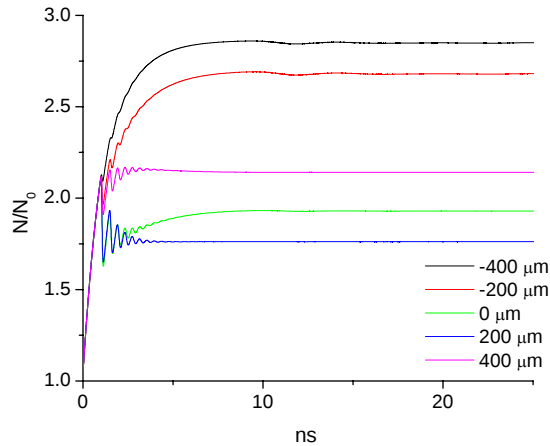
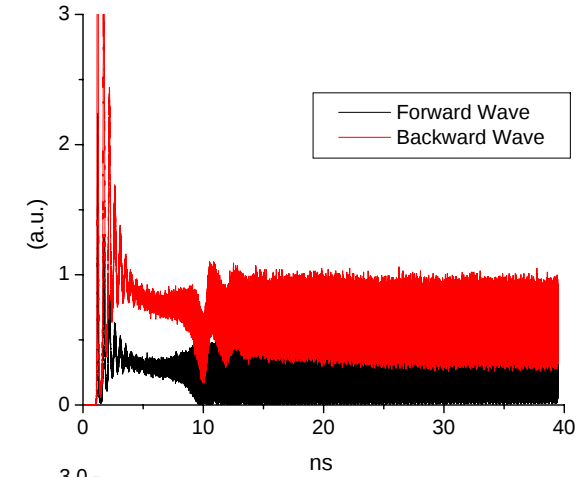
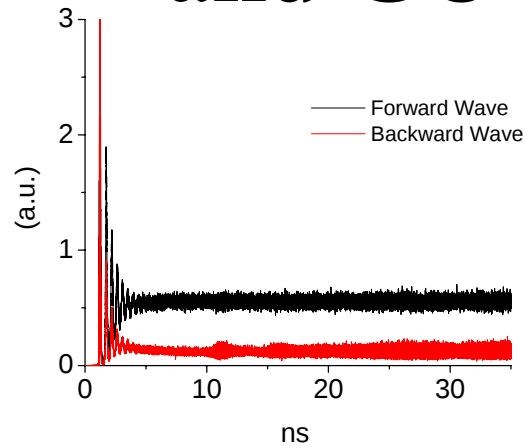
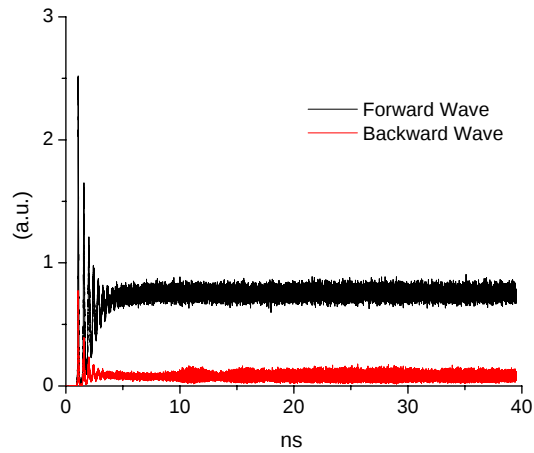
Predicted Modes vs Static Detuning



Minimum Static Detuning vs. κ_i %



Minimum Static Detuning LC, IC and GC



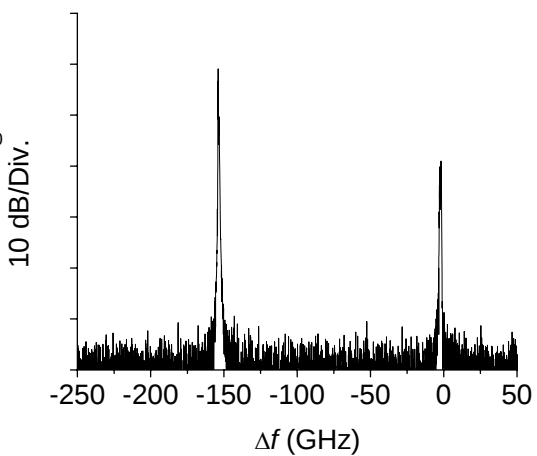
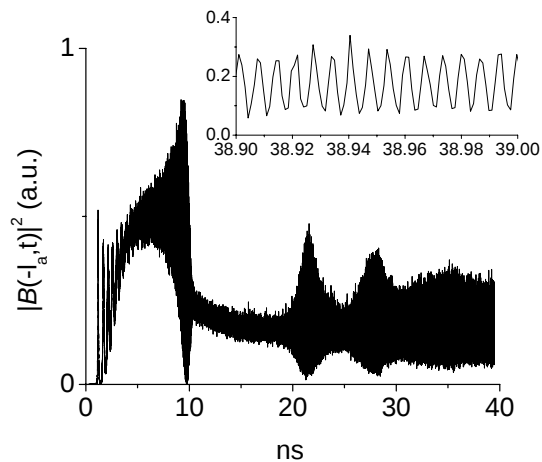
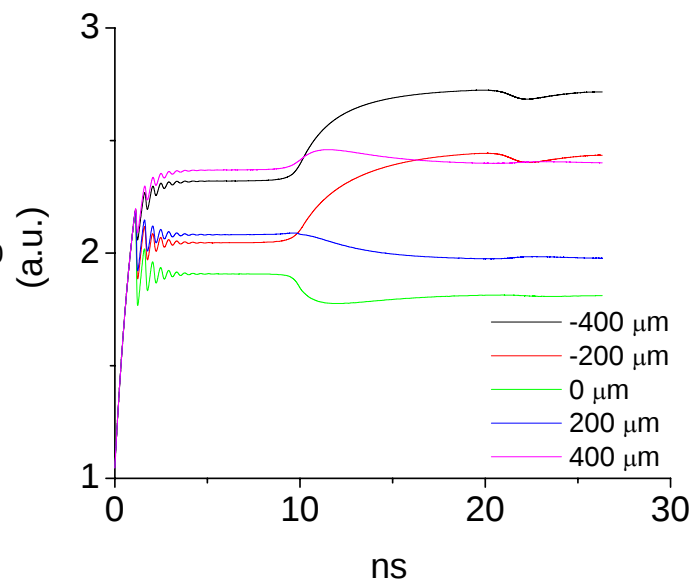
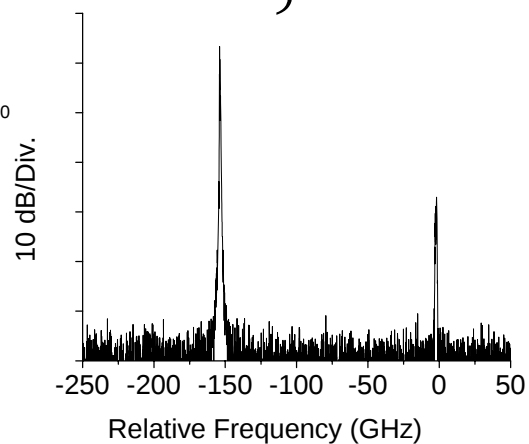
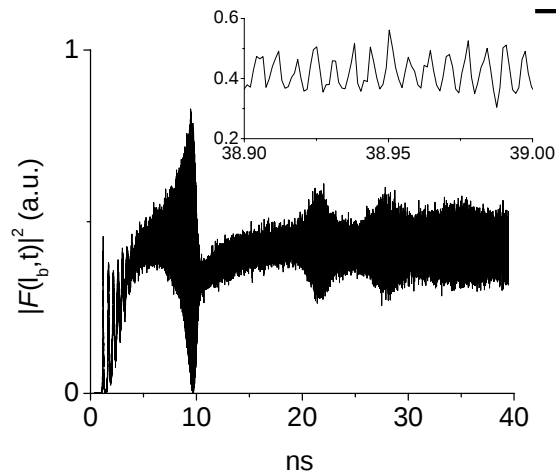
$$\kappa_i = -5\% \delta s = 13 \text{ cm}^{-1}$$

$$\kappa_i = 0\% \delta s = 7 \text{ cm}^{-1}$$

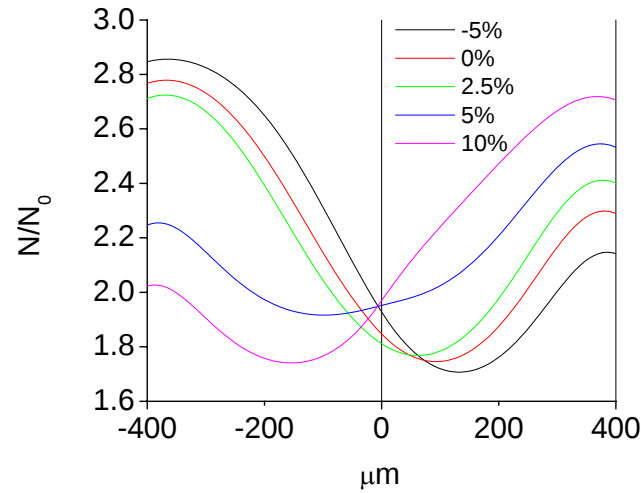
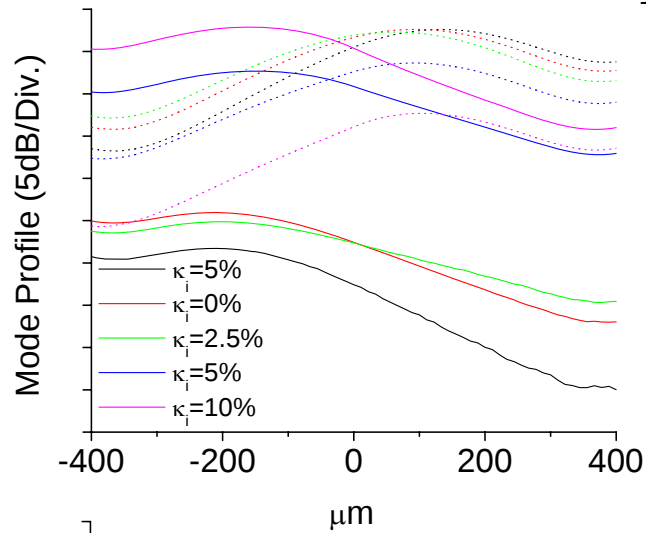
$$\kappa_i = 5\% \delta s = 35 \text{ cm}^{-1}$$

Minimum Static Detuning at κ_i

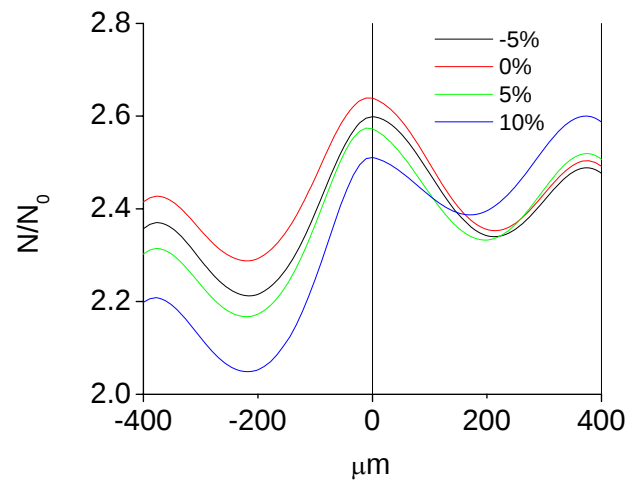
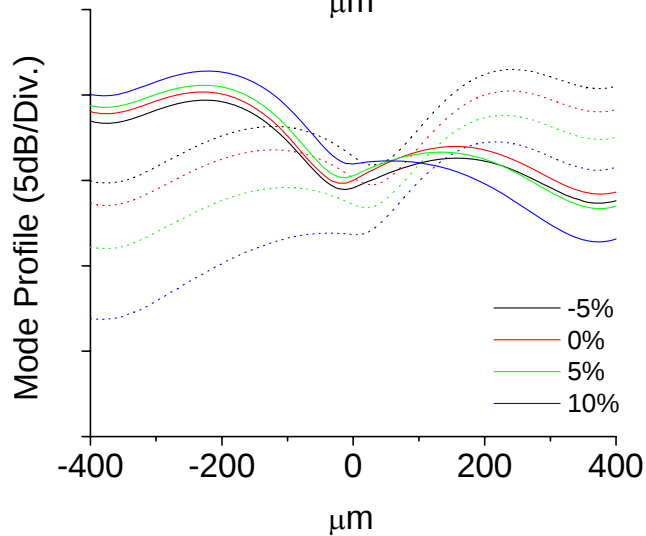
$=2.5\%$, $\delta s = 4 \text{ cm}^{-1}$



Mode Profiles and Carrier Distribution



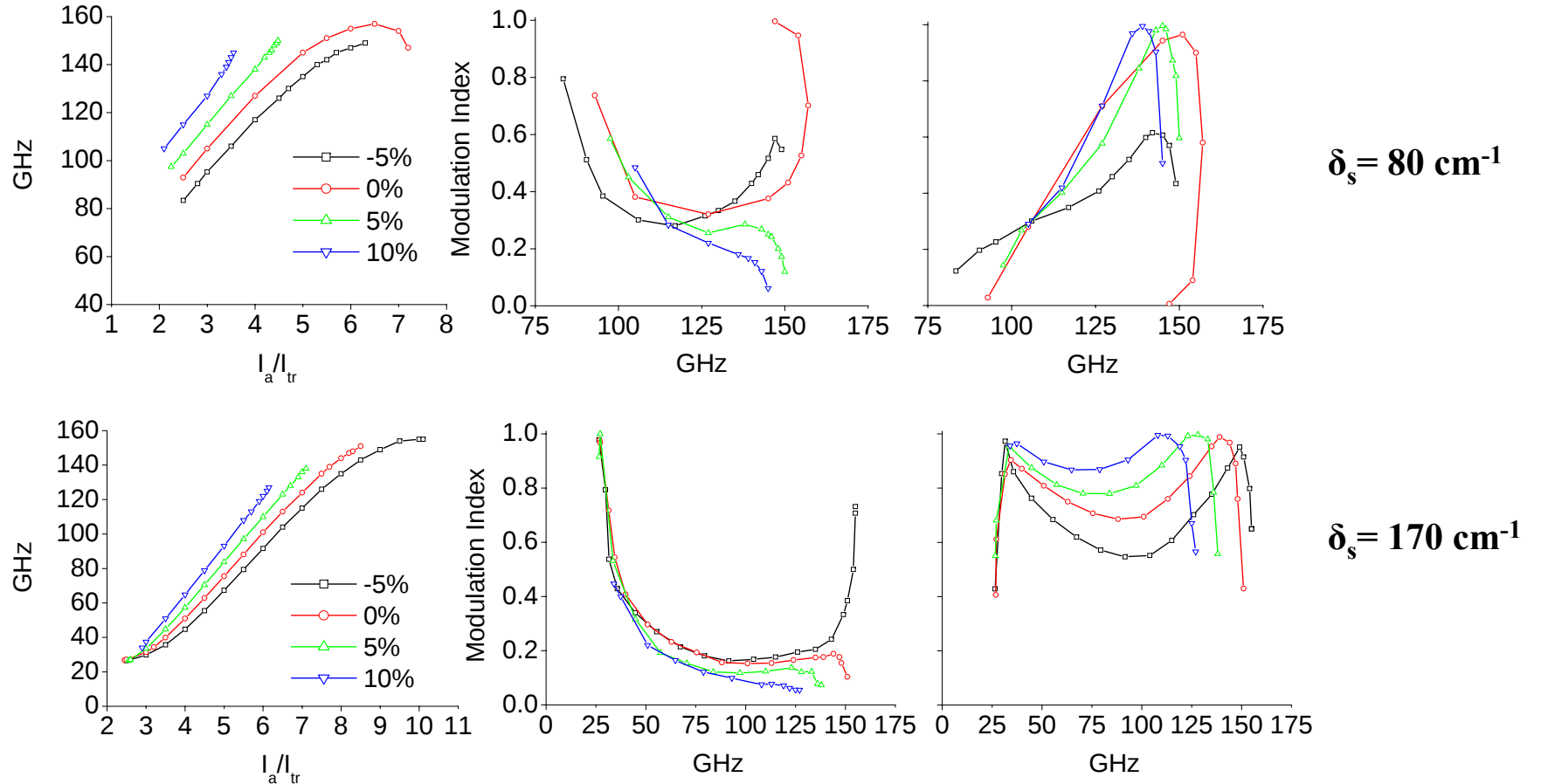
Minimum detuning range.



Minimum self-pulsation frequency

$\kappa_i = -5\%$ $\delta_s = 175 \text{ cm}^{-1}$
 $\kappa_i = 0\%$ $\delta_s = 175 \text{ cm}^{-1}$
 $\kappa_i = 5\%$ $\delta_s = 173 \text{ cm}^{-1}$
 $\kappa_i = 10\%$ $\delta_s = 171 \text{ cm}^{-1}$

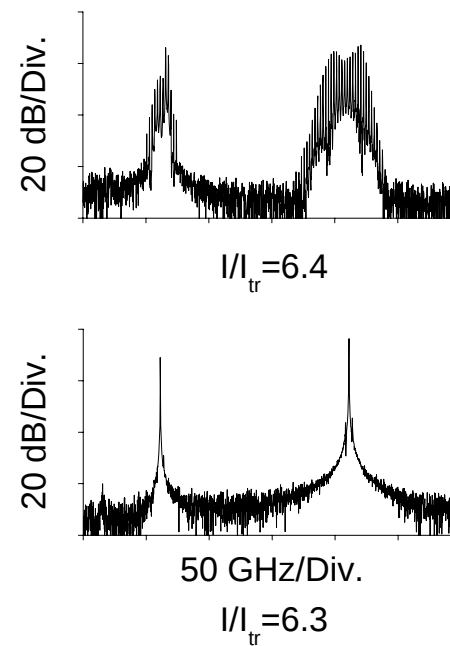
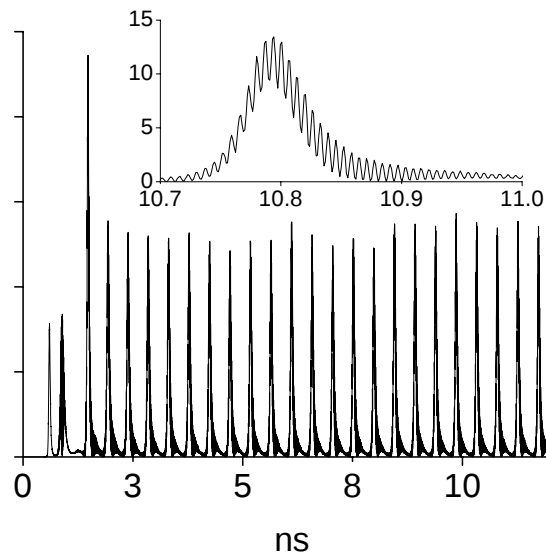
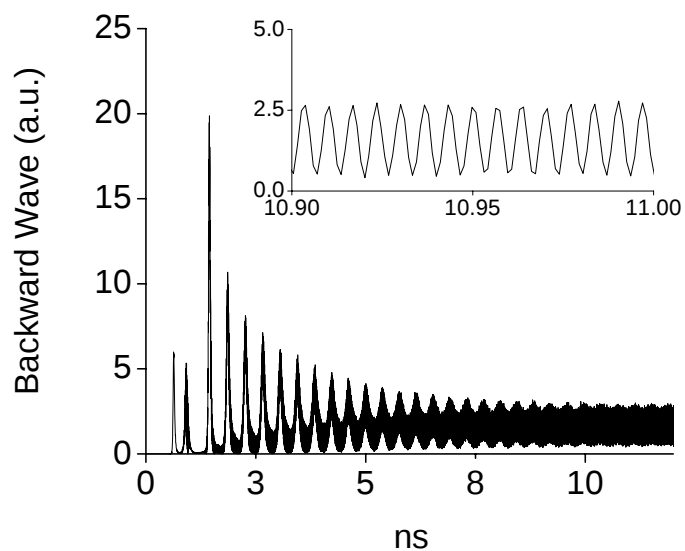
Tuning Range and Modulation Index



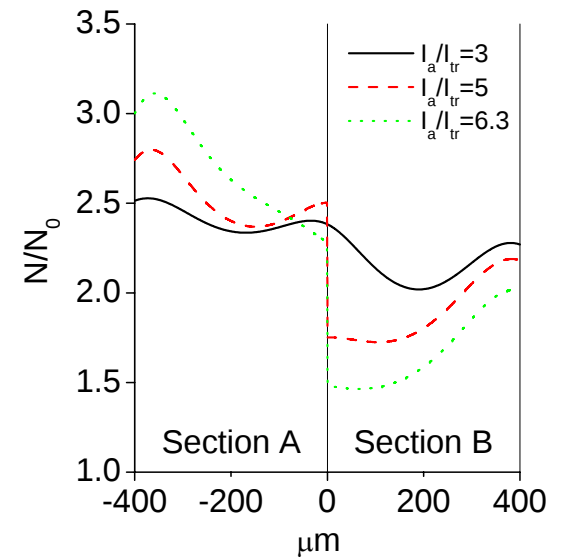
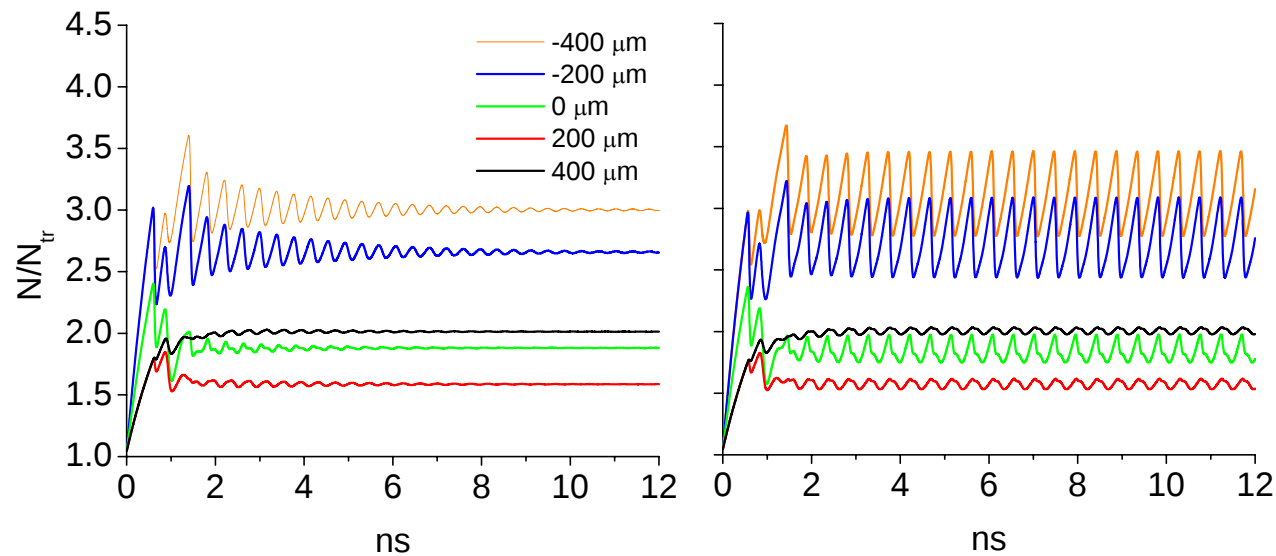
Self-pulsation frequency as a function of I_a with $I_b = 3I_{tr}$, (b) index of the forward wave at the facet of section B, (c) Modulation and the modulation index of the backward wave at the facet of section A (Top - $\delta_s = 80 \text{ cm}^{-1}$, Bottom $\delta_s = 170 \text{ cm}^{-1}$).

Temporal Response Loss-Coupled

2.12 GHz mode spacing



Carrier Response Loss-Coupled

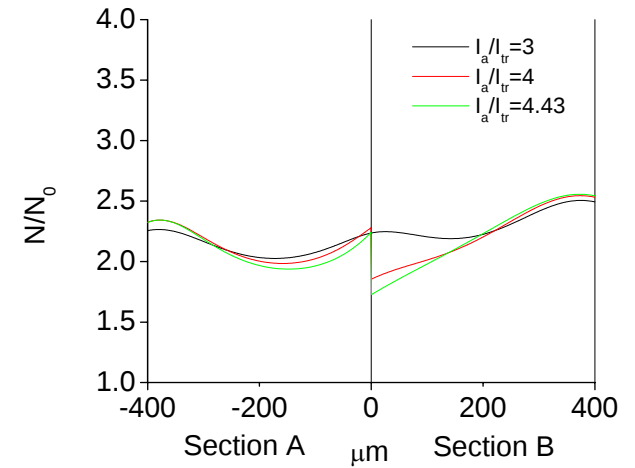
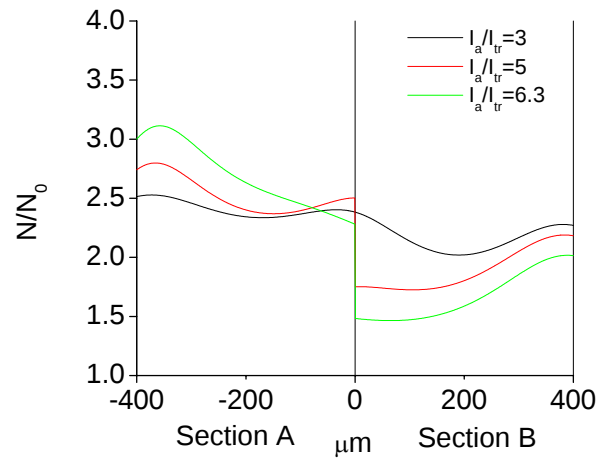
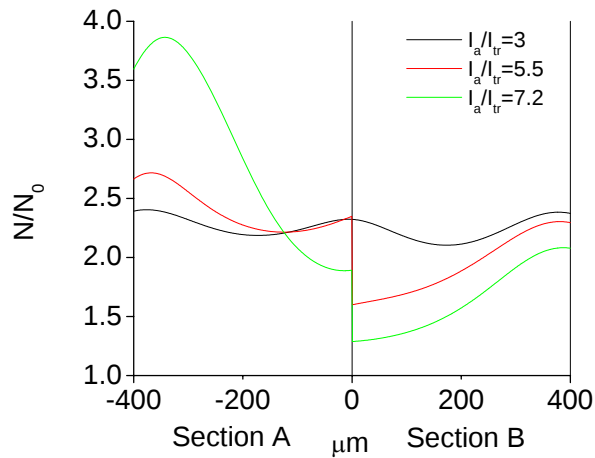
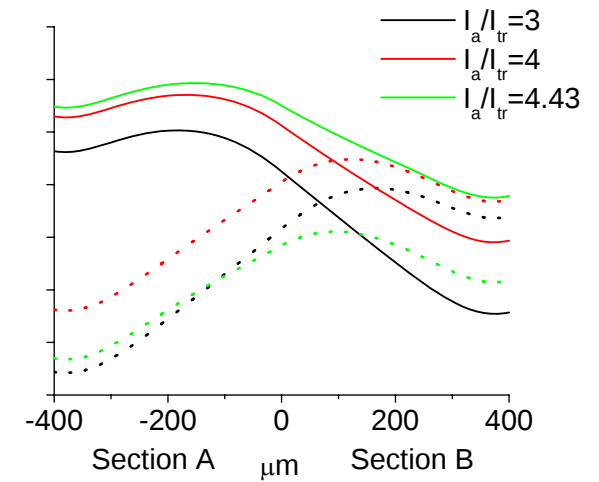
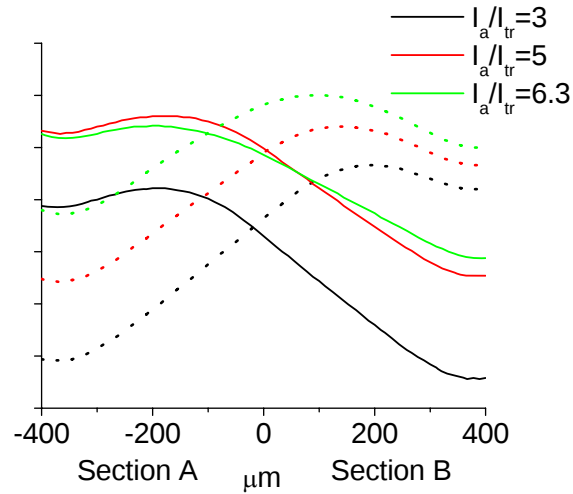
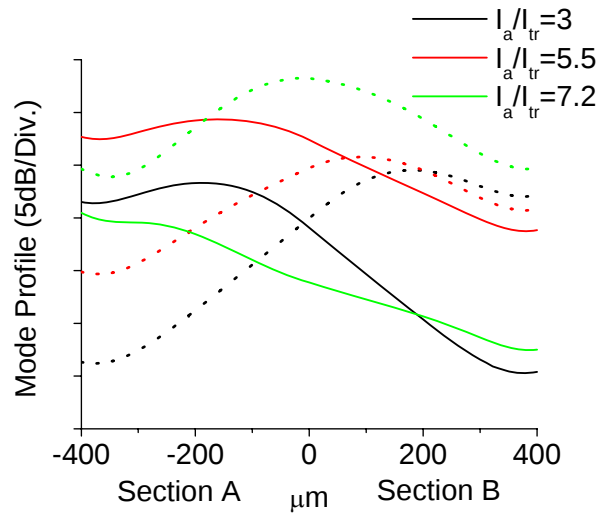


Modes Profiles ($\delta_s=80 \text{ cm}^{-1}$)

IC

LC

GC

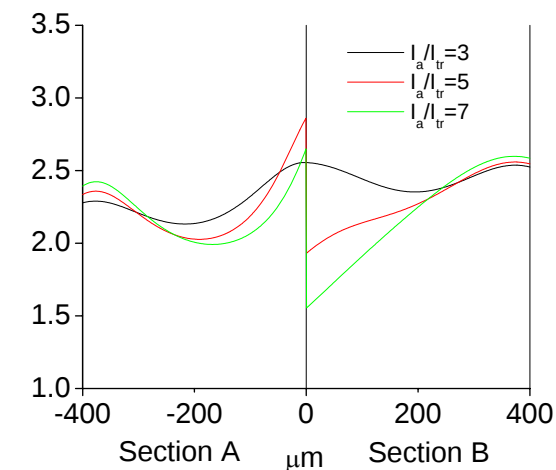
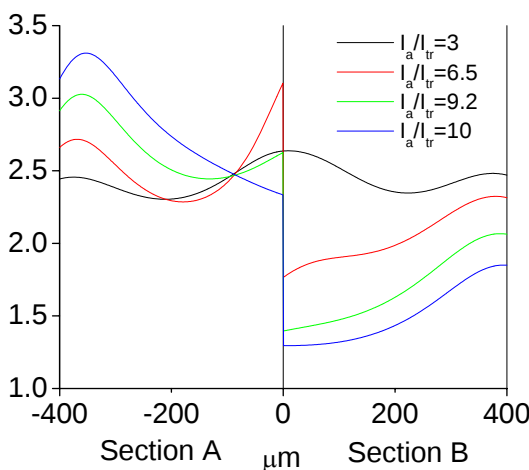
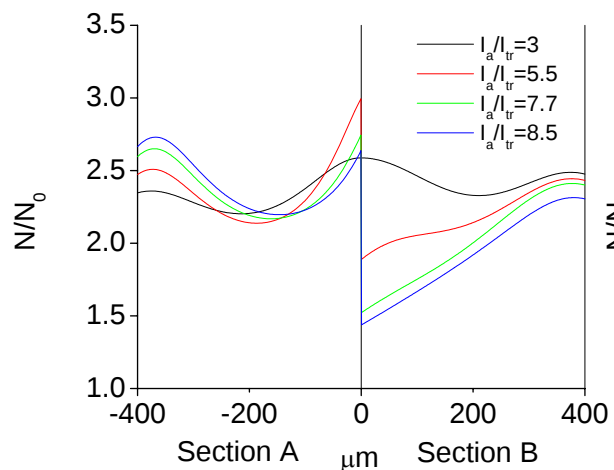
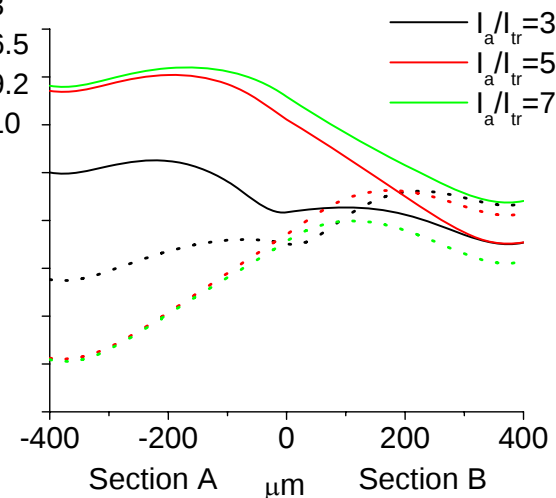
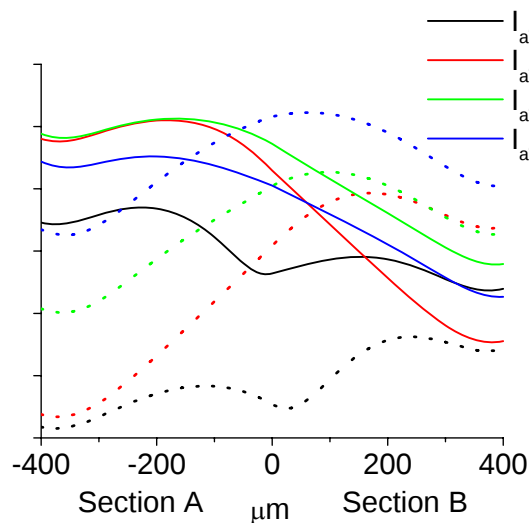
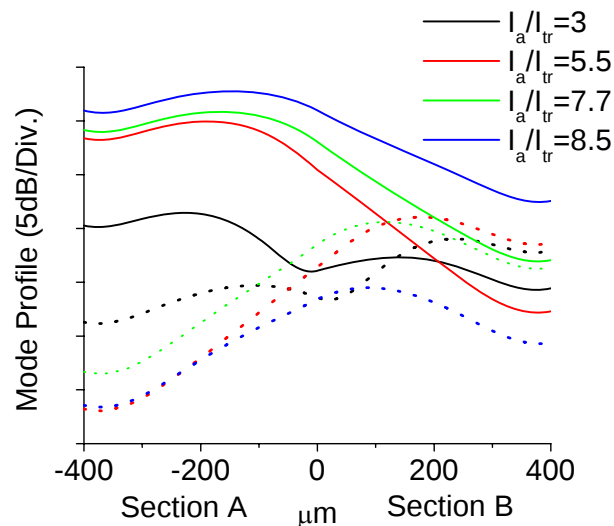


Modes Profiles ($\delta_s=170 \text{ cm}^{-1}$)

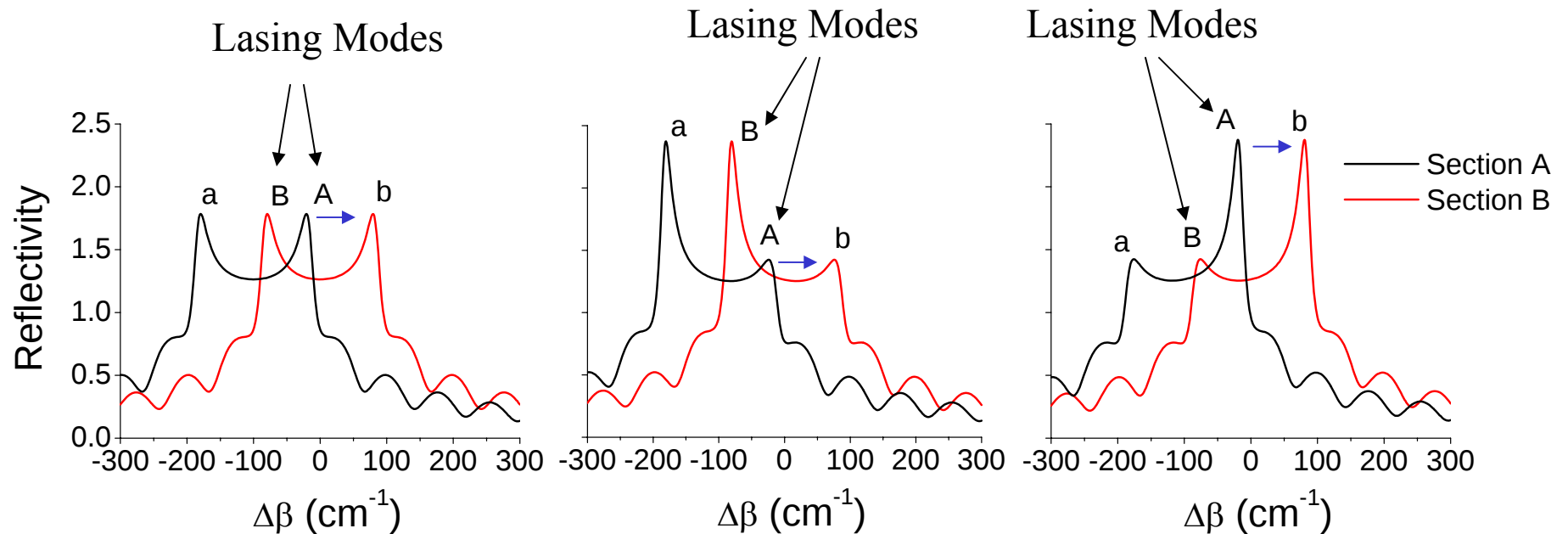
IC

LC

GC



Reflectivity Spectra



Index-coupled

Loss-coupled

Gain-coupled

Modal Dynamics

- Loss-coupled DFB lasers – When the current of section A is increased, mode B is also increased – Mode B is the dominant mode.
- Index-coupled DFB lasers – The dominant mode depends on the static detuning parameter.
- Gain-coupled DFB lasers – Mode A is the dominant mode.

Conclusion

- For 10% gain-coupled DFB laser - above 90% modulation index is predicted for self-pulsations between 34 and 123 GHz.
- For 5% loss-coupled DFB laser - above 50% modulation index is predicted for self-pulsations between 27 and 155 GHz.
- When the difference in current levels is large the self-pulsation become pulsed for loss-coupled DFB lasers
- The carrier levels are least sensitive to current levels in the case of gain-coupled DFB lasers.