Carrier Transport and Optical Properties of InGaN SQW with Embedded AlGaN δ-Layer





Outline

Importance of green LEDs/Lasers

> How to circumvent piezoelectric field effects

- Growth on nonpolar or semipolar planes
- Embedding a δ -layer into a SQW
- Simulation & Experiment results
- Overall conclusion

LED BLU



IMID 2006 40" LED



← Small chip LED

of LEDs: 2,160

- Low power consumption
- Superior color representation
- ► No fan and no heat sink

Why Green LEDs/Lasers So Important?

Samsung LCD HDTV



LED BLU for LCD











Projector



Problems with *Thin* InGaN MQW for Long-Emission Wavelengths

High In-composition for long-wavelength tuning

CQ-related issues (trap at deep localized states and nonradiative spots)

High PEC:

- > Wavefunction overlap
- Carrier transport

• High I_{th} , Low η_{int} : DQW, <485nm

Carrier Transport in Thin InGaN/AIGaN DQW



6

Problems with Thick InGaN QW

♦ Wavefunction overlap
→ long τ_c

 Low In-composition for long-wavelength tuning





How To Tackle (2): Thick SQW with Embedded AlGaN δ -Layer

- less In-composition for long-wavelength tuning (compared to thin SQW)
- Increase wavefunction overlap (compared to thick SQW)
- Uniform carrier distribution

Layer Structure & Growth

Layer Structure



MOVPE epitaxy growth



Numerical Models: Inorganic Semiconductor Devices

< Poisson's equation >

$$\nabla \cdot \left(\varepsilon \nabla \psi \right) = -q \left(p - n + N_D - N_A \right) - \rho_{pol}$$
$$\rho_{pol} = -\frac{\partial}{\partial z} \left[e_{33} \varepsilon_{\perp}(x) + 2e_{31} \varepsilon_{\parallel}(x) + P_{sp}(x) \right]$$
$$\varepsilon_{\parallel}(x) = \frac{a_{sub} - a(x)}{a(x)} \quad \varepsilon_{\perp}(x) = -2\varepsilon_{\parallel}(x) \frac{c_{13}}{c_{33}}$$

< Drift-Diffusion equation >

$$\frac{\partial n}{\partial t} = \frac{1}{q} \nabla \cdot (-q\mu_n n \nabla \phi_n) + G - R$$
$$\frac{\partial p}{\partial t} = \frac{1}{q} \nabla \cdot (-q\mu_p p \nabla \phi_p) + G - R$$
$$n = n_i \exp[\{(\psi + \theta - \gamma_n) - \phi_n\} / V_T]$$
$$p = n_i \exp[\{\phi_p - (\psi + \theta - \gamma_p)\} / V_T]$$

< effective-mass Schrödinger equation >

$$\sum_{j=1}^{6} (H_{ij} + \delta_{ij} E^{\nu}(z)) \varphi_{m}^{(j)}(z) = E_{m}^{\nu} \varphi_{m}^{(i)}(z)$$

$$H_{6\times6} = \begin{bmatrix} H^{U} & 0 \\ 0 & H^{L} \end{bmatrix}$$

$$H^{U} = \begin{bmatrix} F & K_{t} & -iH_{t} \\ K_{t} & G & \Delta - iH_{t} \\ iH_{t} & \Delta + iH_{t} & \lambda \end{bmatrix}$$

$$F = \Delta_{1} + \Delta_{2} + \lambda + \theta, \quad G = \Delta_{1} - \Delta_{2} + \lambda + \theta, \quad \Delta = \sqrt{2}\Delta_{3}$$

$$\lambda = \frac{\hbar^{2}}{2m_{0}} (A_{1}k_{z}^{2} + A_{2}k_{t}^{2}) + D_{1}\varepsilon_{zz} + D_{2}(\varepsilon_{xx} + \varepsilon_{yy})$$

$$\theta = \frac{\hbar^{2}}{2m_{0}} (A_{3}k_{z}^{2} + A_{4}k_{t}^{2}) + D_{3}\varepsilon_{zz} + D_{4}(\varepsilon_{xx} + \varepsilon_{yy})$$

$$K_{t} = \frac{\hbar^{2}}{2m_{0}} A_{5}k_{t}^{2}, \quad H_{t} = \frac{\hbar^{2}}{2m_{0}} A_{6}k_{z}k_{t}$$
11



SQW with δ -layer:

Carrier Transport



Band Structure of QW with δ -layer



Experimental Results: PL peak wavelength and PL lifetime



PL Spectra: Different δ-Layer Thickness

QW with 1nm δ-layer requires about 4% less indium for green emission, compared to 2-nm-thick SQW



Wavefunction Overlap: Different δ-Layer Thickness



Overlap Integral: Different Indium Composition



Overlap Integral: Different Aluminum Composition



Overlap Integral: δ-doping



Summary

- The δ-layer offers an extra degree of freedom in tuning the emission wavelength
- The δ-layer enable us to tune long-wavelength with lower indium composition
- The δ-layer increases the wavefunction overlap between holes and electrons, the PL lifetime by which is expected to shorten.